



12. A population of bees is **decreasing**. The population in a particular region this year is 1,200. After one year, it is estimated that the population will be 900. After three years, it is estimated that the population will be 506.25 (about 506 bees).

a. Write an equation to model this scenario.

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$$y = a(1 - r)^{t}$$
b. Create a graph to show the bee population over the  
next 10 years.  
c. Identify the key features of the function. Identify the x-  
and y-intercepts. Determine whether the function is  
increasing or decreasing.  
Rate of Change from [0,10]:  
13. Write a compound interest function to model the  
situation. Then find the balance after the given number of  
years. John invested \$4000 at a rate of 3.5%  
compounded quarterly for 4 years.  

$$A = P(1 + \frac{r}{n})^{nt}$$
14. Write a compound interest function to model the  
situation. Then find the balance after the given number of  
years. John invested \$4000 at a rate of 4.5%  
compounded quarterly for 4 years.  

$$A = P(1 + \frac{r}{n})^{nt}$$
15. Graph  $y = 3^{*}$ 
16. Graph  $y = \left(\frac{1}{3}\right)^{*}$ 
17. Tell whether the functions below show exponential GROWTH or DECAY.  

$$y = \left(\frac{1}{4}\right)^{x}$$

$$y = 2^{x}$$

$$y = 1^{x}$$

$$y = 5^{x}$$

$$y = 0^{x}$$

$$y = \left(\frac{2}{3}\right)^{x}$$

Identify whether the following sequences are arightmetic, geometric, or neither. If it is arithmetic, find d and if its<br/>geometric, find r. Then write the explicit formula:<br/> $a_n = a_1 + (n - 1)d$ <br/> $Geometric Explicit Formula: <math>a_n = a_1 \cdot r^{n-1}$ 18. 4, 10, 18, 28, 40...19. 625, 125, 25, 5, 1...20. 81, 27, 9, 3, 1...21. 1, 2, 6, 24, 120...22. -4, 8, -16, 32, -64...23. 8, 1, -6, -13, -20...

24. Graph the exponential functions.

